

Abbreviations

\tilde{a}_i	Standardized log-return of firm i
\tilde{A}_T	Asset value at $t = T$
$\mathcal{B}(n, p)$	Binomial distribution with parameters n and p
\mathbb{C}	Set of all complex numbers
\tilde{D}	Default event
$\mathbb{E}(\cdot)$	Expectation value
$ES_\alpha^{(\infty)}$	ES at confidence level α of a portfolio with infinite granularity
Δl_1	First-order granularity adjustment
Δl_2	Additional term of the second-order granularity adjustment
\tilde{L}	Relative loss
\tilde{L}_{abs}	Absolute loss
$\tilde{\tilde{L}}$	Portfolio loss in an accurately adjusted ASRF model
\mathcal{L}	Laplace transform
\mathbb{N}	Set of all natural numbers
$\mathcal{N}(\mu, \sigma^2)$	Normal distribution with expectation μ and variance σ^2
$O(\cdot)$	Landau symbol
\bar{p}	Average probability of default
$p(\cdot)$	Conditional probability of default
Δp	Shift of the survival probability
$\mathbb{P}(\cdot)$	Probability
$q_\alpha^{(n)}$	Quantile of a granular portfolio
$q_\alpha^{(\infty)}$	Quantile of an infinitely granular portfolio
Δq	Shift of the loss quantile
Δq_α	Multi-factor adjustment
Δq_α^∞	Systematic risk adjustment component of the multi-factor adjustment
$\Delta q_\alpha^{\text{GA}}$	Granularity adjustment component of the multi-factor adjustment
\bar{r}_{intra}	Average intra-sector correlation
\bar{r}_{inter}	Average inter-sector correlation
\mathbb{R}	Set of all real numbers

$\mathbb{V}(\cdot)$	Variance
$VaR_\alpha^{(\infty)}$	VaR at confidence level α of a portfolio with infinite granularity
$VaR_\alpha^{(+)}$	Lower VaR at confidence level α
$VaR_\alpha^{(-)}$	Alternative definition of VaR: maximal loss in the best $100 \cdot \alpha\%$ scenarios
$VaR_\alpha^{(int)}$	Interpolated VaR at confidence level α
\tilde{x}	Systematic factor
\tilde{x}_s	Risk factor of sector s
\tilde{Y}	Systematic part of the portfolio loss
\tilde{z}_k	Independent risk factors
\tilde{Z}	General idiosyncratic component of the portfolio loss
\mathbb{Z}	Set of all integers
$1_{\{\}}\}$	Indicator variable
$\alpha^{(\infty)}$	Quantile of an infinitely granular portfolio
$\tilde{\beta}$	Average weighted inter-sector correlation
Γ	Gamma function
$\delta(\cdot)$	Dirac's delta function
$\tilde{\varepsilon}_i$	Idiosyncratic factor of firm i
$\eta_m(\cdot)$	m -th moment about the mean
$\eta_{m,c}$	m -th conditional moment of the portfolio loss about the mean
$\mu_m(\cdot)$	m -th moment about the origin
$\mu_{m,c}$	m -th conditional moment of the portfolio loss about the origin
ξ_i	Idiosyncratic factor of firm i
ρ	Risk measure
$\sqrt{\rho}_i$	Correlation between firm i and the common factor in a one-factor model
$\bar{\rho}_i$	Correlation between obligor i and the systematic risk factor \tilde{x}
$\bar{\rho}_s$	Correlation between sector factor \tilde{x}_s and the systematic risk factor
$\rho_{s,t}^{Inter}$	Correlation between the risk factors of sector s and t
$\rho_{Intra}^{(Implied)}$	Implicit intra-sector correlation
φ	Standard normal PDF
φ_2	Bivariate normal PDF
Φ	Standard normal CDF
Φ^{-1}	Inverse standard normal CDF
Φ_2	Bivariate normal CDF
μ	Drift rate or expectation value
μ_X	Parameter of the lognormal and logit-normal distribution
B	Liabilities; Beta function; risk bucket
b_i	Factor loading to the systematic factor
b_k	Coefficients of sector factors
CCF	Credit conversion factor
CDF	Cumulative distribution function

c_i	Factor loading to the idiosyncratic factor; correlation parameter in the comparable one-factor model
<i>COMM</i>	Commitments
<i>D</i>	Diversity score
<i>DF</i>	Diversification factor
d_i	Default threshold of obligor i ; weighting factor in the model of Pykhtin
<i>EAD</i>	Exposure at default
EC^{mf}	Economic capital in a multi-factor model
<i>EL</i>	Expected loss in relative values
EL_{abs}	Expected loss in absolute values
<i>ELGD</i>	Expected LGD
<i>ES</i>	Expected shortfall
ES_α	ES at confidence level α
f	Probability density function
F	Cumulative distribution function
F^{-1}	Inverse cumulative distribution function
<i>G</i>	Gini coefficient
<i>HHI</i>	Herfindahl–Hirschmann index
I_c	Critical number of credits
<i>J</i>	Number of observations in a historical or Monte Carlo simulation
k	Number of defaults
<i>K</i>	Number of independent factors
<i>LGD</i>	Loss given default
$L_{j:J}$	j -th out of J elements of the order statistics
<i>M</i>	Maturity; moment generating function
n	Number of credits
<i>N</i>	Number of observations
n^*	Effective number of credits
N_{PD}	Number of PD-classes
<i>OUT</i>	Current outstandings
p	Survival probability ($=1-\alpha$); probability of a direct default in the model of Davis and Lo
<i>PD</i>	(Unconditional) Probability of default
<i>PDF</i>	Probability density function
q	Infection probability in the model of Davis and Lo
q_α	Lower quantile
q^α	Upper quantile
RC^s	Regulatory capital for sector s
<i>Res</i>	Residuum
<i>RR</i>	Recovery rate
<i>S</i>	Annual sales; number of Sectors
<i>SLGD</i>	Third moment of the LGD about the mean
<i>T</i>	Point in time
<i>TCE</i>	Tail conditional expectation

TCE_α	Lower TCE at confidence level α
TCE^α	Upper TCE at confidence level α
UL	Unexpected loss
VaR	Value at risk
VaR_α	Lower VaR at confidence level α
VaR^α	Upper VaR at confidence level α
$VLGD$	Variance of the LGD
W	Wiener process
w_i	Exposure weight of credit i in the portfolio
α	Confidence level; parameter of the beta distribution
$\alpha_{i,k}$	Factor weight of obligor i from Cholesky decomposition
$\alpha_{s,k}$	Factor weight of sector s from Cholesky decomposition
β	Target tolerance; parameter of the beta distribution
λ	Fraction of the idiosyncratic risk that stays in the portfolio
σ	Volatility or standard deviation
σ_X	Parameter of the lognormal and logit-normal distribution
τ	Lagrange multiplier